

# Calibration of Multiple Kinects with Little Overlap Regions

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When using multiple Kinects, there must be enough distances among neighboring Kinects to avoid spoiled range data caused by the interference of their infrared speckle patterns. In the arrangement, their overlapped regions are too small to apply existing calibration methods using correspondences between their observations straightforwardly. Therefore, we propose a method to calibrate Kinects without large overlapped regions. In our method, first, we add extra RGB cameras in an environment to compensate overlapped regions. Thanks to them, we can estimate their camera parameters by obtaining correspondences between color images. Next, for accurate calibration, which considers range data as well as color images of Kinects, we optimize the estimated parameters by minimizing both the errors of correspondences between color images and those of range data of planar regions, which exist in a general environment such as walls and floors. Although our method consists of conventional techniques, its combination is optimized to achieve the calibration. © 2015 Institute of Electrical Engineers of Japan. Published by John Wiley & Sons, Inc.

**Keywords:** Kinect, calibration, interference

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## 1. Introduction

Recently, Kinect [1] and other types of consumer range sensors have attracted the attention of researchers, because they can simultaneously capture both metric range data and color images at low cost. Using a Kinect, many applications have been developed such as people detection [2], gait identification [3], pose estimation [4,5], and 3D shape reconstruction [6,7]. If we could utilize multiple Kinects for these applications, it would be possible to enlarge the area that these applications cover. To realize a system using multiple Kinects, it is one of fundamental and essential tasks to calibrate their camera parameters, that is, intrinsic parameters including their focal length and radial distortion and extrinsic ones consisting of their rotation and translation.

For RGB cameras, some methods to calibrate their intrinsic and extrinsic parameters have been proposed. For their intrinsic calibration, there exist methods such as the one proposed by Zhang [8]. The existing methods can also be used for the intrinsic calibration of Kinects straightforwardly. On the other hand, for the extrinsic calibration of RGB cameras, there exist methods that are based on corresponding points between their images [9]. In these methods, it is desirable that RGB cameras have large overlapping regions to acquire a sufficient number of corresponding points between their images. In contrast, for multiple Kinects, it is not desirable because when Kinects have large overlapping regions, their infrared (IR) speckle patterns, which are projected to construct range data, interfere with neighboring Kinects. The interference

causes missing areas in the resultant range data of each Kinect. This is referred to as the “interference problem.” Considering the interference problem, there must be sufficient distance between neighboring Kinects. In this arrangement, the existing method cannot be straightforwardly applied for their extrinsic calibration because it is impossible to obtain a sufficient number of correspondences between color images from their small overlapping image regions. Moreover, for their accurate extrinsic calibration, it is necessary to consider not only color images but also range data because the two captured data of Kinects involve their independent errors.

Therefore, we propose a calibration method for multiple Kinects whose overlapping regions are not large enough, considering not only the errors of color images but also those of range data. In extrinsic calibration of our method, first, we add extra RGB cameras in an environment to solve the shortage of the overlapped regions. In the overlapped regions among Kinects and extra RGB cameras, we can obtain a sufficient number of corresponding points between color images. They enable the estimation of their camera parameters by an existing method. Next, for accurate calibration, which considers not only the errors of color images but also those of range data, we optimize the estimated parameters by minimizing both the errors of correspondences between color images and those of range data of planar regions, which exist in a general environment such as walls and floors. Although our method is composed of well-known processes, we properly select and combine them with the consideration of the interference problem, which existing methods for calibrating extrinsic parameters of multiple Kinects [10–14] do not consider.

## 2. Accurate and Efficient Kinect Calibration

Inside a Kinect, there are two types of cameras, that is, an RGB camera and an IR camera that observes speckle patterns projected by an IR projector to construct range data. However, it can be

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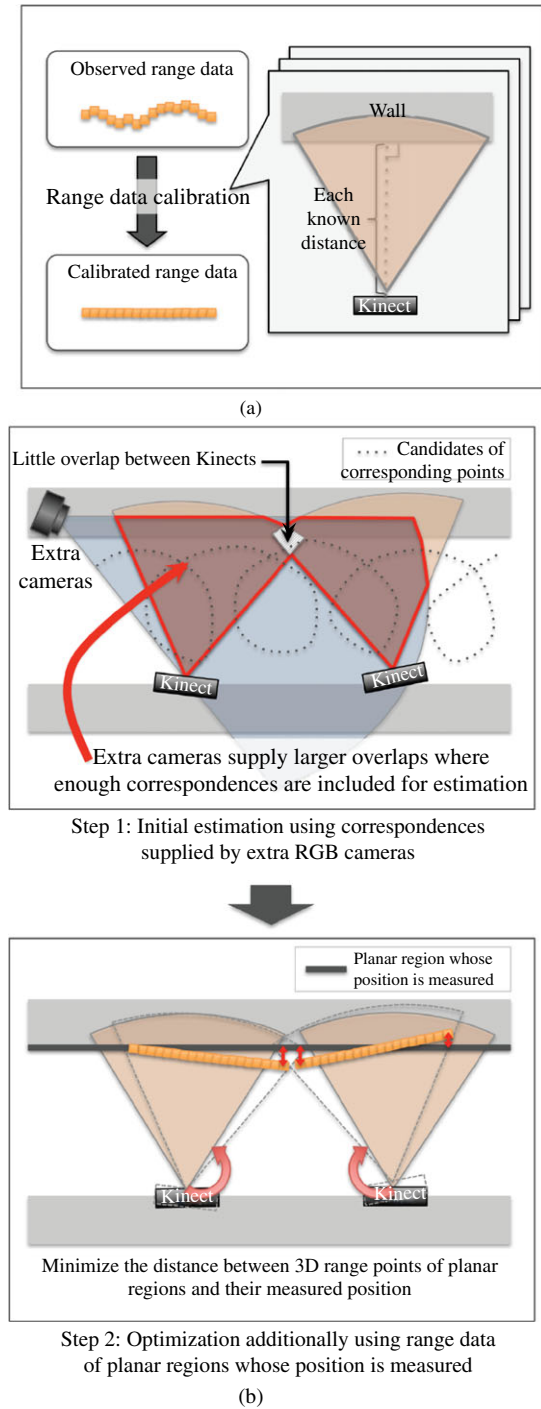


Fig. 1. Outline of the proposed calibration method. (a) Intrinsic parameter calibration and (b) Extrinsic parameter calibration

regarded that they have the same intrinsic and extrinsic parameters through alignment between the range data and the color image, which is provided by the Kinect SDK function with calibration information on factory default configuration. Under this premise, we discuss how to calibrate the intrinsic and extrinsic parameters of multiple Kinects.

As intrinsic parameters of a Kinect, we consider the following two kinds of parameters. The first ones are intrinsic camera parameters including the focal length, the image center, and the radial distortion. These parameters can be calibrated by conventional methods such as [8] straightforwardly. The second ones are parameters to compensate range errors, which increase according to the object distance of a Kinect [15] (Fig. 1(a)). These parameters are estimated using range data that

are captured under the condition that the true range values can be measured.

On the other hand, extrinsic parameters of a Kinect consist of the rotation and translation as generally defined. When multiple Kinects are located, the distances among neighboring Kinects must be wide enough to avoid the interference problem. To calibrate extrinsic parameters of Kinects that have few overlapping regions, we have to consider a feasible solution method. One approach to calibrate such Kinects is to align each Kinect to 3D world coordinates independently. This approach can achieve extrinsic calibration of Kinects by using 2D points captured from color images [16] or 3D points captured from range data [17]. However, this approach is impractical because the larger the number of Kinects is, the more it is required to spend time and effort for the alignment of each Kinect. Another approach is to first estimate relative rotation and translation of Kinects by using the correspondences between captured data of Kinects, and then align them to 3D world coordinates. This approach is more practical than the former for the extrinsic calibration of many Kinects. However, it is impossible to apply the approach to our case straightforwardly because their small overlapping regions cannot provide a sufficient number of correspondences. In the past, some researchers have proposed methods to calibrate multiple RGB cameras that do not have any overlapping regions, which use the reflection of a mirror plane to generate virtual overlap regions [18,19]. These methods can achieve our goal thanks to the correspondences between color images that are obtained from the virtual overlap regions. However, it is necessary to move a mirror plane over again and again to acquire a sufficient number of correspondences because they are derived only from the area that a mirror plane can cover. Considering this effort, the more widely the Kinects are located, the more impractical the methods become. Therefore, we propose a practical method to calibrate extrinsic parameters of such Kinects. In our method, we add extra RGB cameras in an environment to solve the shortage of overlapping regions. In the overlapping regions among Kinects and extra RGB cameras, we can obtain a sufficient number of correspondences between color images to estimate their camera parameters (Fig. 1(b) top). Compared with the methods using a mirror plane, our method is much more practical because it is unnecessary to move them once they were mounted at their proper location. Although we might obtain 3D corresponding points between range data by using extra range sensors instead of the RGB cameras, we consider that our method is more suitable because the observation area of color images of a Kinect is larger than that of range data, which is accurate within only several meters from a Kinect [15]. Next, because there are independent errors in color images and range data of Kinects, we consider the optimization of the estimated extrinsic parameters by minimizing not only the errors of color images but also those of range data. One well-known optimization approach for range data is the alignment between range data such as iterative closest point [20]. However, due to the accumulated error of each neighboring alignment, the whole range data would not be aligned properly. Therefore, we employ an optimization approach of the alignment between the range data of each Kinect and a 3D world coordinate space. In our method, planar regions, which exist in a general environment such as floors and walls, are used. The position of these regions can be easily measured in world coordinates beforehand. Using range data of the planar regions and their measured position, we minimize the distance between their position and their 3D points projected from range data as well as the error of correspondences in color images (Fig. 1b bottom).

### 3. Algorithm

This section describes the details of our calibration method. In this section, we continue to regard that two cameras of a Kinect

have same intrinsic and extrinsic parameters, as was stated in Section 2.

**3.1. Calibration of intrinsic parameters** As mentioned in Section 2, we calibrate both intrinsic camera parameters and parameters to compensate range errors as the intrinsic calibration. To calibrate intrinsic camera parameters, we employ Zhang's method [8] to each Kinect. To compensate range errors, we define an error model as (1) on the basis of the relationship that an error in the IR camera coordinates yields a measured range error that increases quadratically with the distance [15].

$$e(\mathbf{m}) = a(\mathbf{m})d(\mathbf{m})^2 \quad (1)$$

where  $a(\mathbf{m})$ ,  $d(\mathbf{m})$ , and  $e(\mathbf{m})$  are the error parameter, the observed range value, and its error at a pixel  $\mathbf{m} = (u, v)$ , respectively. We consider that each Kinect has its own error parameters because we found through observation that an error distribution of range data of a Kinect differs from those of others. Once the error parameters are obtained, the errors are corrected by

$$D(\mathbf{m}) = d(\mathbf{m}) - e(\mathbf{m}) = d(\mathbf{m}) - a(\mathbf{m})d(\mathbf{m})^2 \quad (2)$$

where  $D(\mathbf{m})$  denotes the compensated range value at the pixel  $\mathbf{m}$ .

To estimate the error parameters, we apply the following procedure to each Kinect. First, a Kinect is located at various positions with its camera view perpendicular to a planar wall. After capturing its range data at each position, we obtain the parameter of each pixel by the least-squares method.

**3.2. Initial estimation of extrinsic parameters** We initially estimate extrinsic parameters, that is, the rotation  $\mathbf{R}$  and translation  $\mathbf{t}$  of each Kinect. As mentioned in Section 2, in the arrangement of Kinects with consideration of the interference problem, it is impossible to apply existing methods straightforwardly because their overlapping regions are not large enough to supply a sufficient number of correspondences between color images. Therefore, in our method, we add some extra RGB cameras in an environment to obtain a sufficient number of corresponding points between color images. Using the corresponding points, we estimate their extrinsic parameters as follows. First, extrinsic parameters are obtained by the direct linear transform technique. Then, bundle adjustment [9] is performed to improve the extrinsic parameter accuracy.

In the above estimation, it only achieves weak calibration that leaves the scale indeterminacy of the extrinsic parameters because there is no information about a metric scale in the estimation. Thus, we prepare some markers whose position is measured in world coordinates beforehand to determine their metric scale.

**3.3. Optimization of extrinsic parameters** We optimize the extrinsic parameters that are initially estimated in Section 3.2 by using not only the correspondences between color images but also the range data of planar regions. Since the intrinsic parameters are obtained accurately beforehand, we fix their value so that the number of optimized parameters can be decreased for stable optimization. To acquire the optimal parameters that minimize both sensor errors simultaneously, we minimize the objective function of (3) by the Levenberg–Marquardt algorithm.

$$\hat{\mathbf{R}}_1^{(\lambda)}, \hat{\mathbf{t}}_1^{(\lambda)}, \dots, \hat{\mathbf{R}}_N^{(\lambda)}, \hat{\mathbf{t}}_N^{(\lambda)} = \underset{\mathbf{R}_1, \mathbf{t}_1, \dots, \mathbf{R}_N, \mathbf{t}_N}{\operatorname{argmin}} ((1 - \lambda)E_l + \lambda E_p). \quad (3)$$

In (3),  $E_l$  is the error about the corresponding points between color images captured from Kinects and extra cameras, and  $E_p$  is the error about planar regions of range data of Kinects. These details are mentioned in the next paragraph.  $\lambda$  is the weighting coefficient

value of two error values to consider the different effect between  $E_l$  and  $E_p$  in infinitesimal change of the optimized extrinsic parameters. Because the optimized result varies depending on the value of  $\lambda$ , it is necessary to use an appropriate one. Therefore, in our method, first we prepare some candidates of extrinsic parameters that are obtained by optimization with different values of  $\lambda$ . Then, from the candidates, we adopt appropriate extrinsic parameters when both errors are minimal simultaneously.

$E_l$  is defined as (4) to evaluate the distance between a corresponding point and the epipolar line. The distance is calculated as the absolute value of the inner product of the unit normal vector of the epipolar plane and the displacement vector between two cameras. In (5), it is normalized by the length between two cameras to remove the influence of the length.

$$E_l = \frac{1}{N_{\text{cor}}} \sum_{k=1}^{N_{\text{cor}}} \left( \frac{1}{C_{\text{cam}}^{(k)}} \sum_{i=1, j=i+1}^{N_{\text{cam}}} l_{ij}^{(k)} \right) \quad (4)$$

$$l_{ij}^{(k)} = \frac{\left| \left( \mathbf{v}_i^{(k)} \times \mathbf{v}_j^{(k)} \right) \cdot \mathbf{t}_{ij} \right|}{\left\| \mathbf{v}_i^{(k)} \times \mathbf{v}_j^{(k)} \right\| \left\| \mathbf{t}_{ij} \right\|} \quad (5)$$

where  $N_{\text{cam}}$  is the total number of cameras, which is equal to the sum of the number of Kinects and extra cameras.  $N_{\text{cor}}$  is the total number of corresponding points between color images captured from the cameras.  $C_{\text{cam}}^{(k)}$  is the number of pairwise combinations from cameras that observe the  $k$ th corresponding point.  $\mathbf{v}_i^{(k)}$  and  $\mathbf{v}_j^{(k)}$  are the vectors from the focal point of the  $i$ th and the  $j$ th cameras to the  $k$ th corresponding point in their own normalized image plane, respectively.  $\mathbf{t}_{ij}$  is the displacement vector from the translation  $\mathbf{t}_i$  to  $\mathbf{t}_j$ .

On the other hand,  $E_p$  is calculated from the average of  $p_j$ , denoting the range error. It is defined as the average of the distances between the measured position of a planar region  $\Pi$  and its corresponding 3D point projected from range data, expressed as follows:

$$E_p = \frac{1}{N_{\text{kin}}} \sum_{j=1}^{N_{\text{kin}}} \sum_{i=1}^{N_{\Pi}} \frac{1}{S_{\Pi_i}} p_j(\Pi_i) \quad (6)$$

$$p_j(\Pi_i) = \sum_{\mathbf{X}_O(\mathbf{m}) \in \Pi_i} h(\mathbf{X}_O(\mathbf{m}), \Pi_i) \quad (7)$$

where  $N_{\text{kin}}$  and  $N_{\Pi}$  are the number of Kinects and the planar regions, respectively.  $S_{\Pi_i}$  is the area of the  $i$ th planar region.  $\mathbf{X}_O(\mathbf{m})$  is the 3D world coordinate point that is projected from the range data of the  $j$ th Kinect, and  $h$  is the metric distance function between a 3D point and its planar position.

## 4. Experiments

**4.1. Experimental setup** For experiments, we used an indoor environment that was designed as a corridor (Fig. 2a). In this environment, we mounted some Kinects facing each other across the corridor at 2.1 m height. Their camera views were set downward, as shown in the  $yz$  cross-section view of Fig. 2a so that they could observe pedestrians in this corridor. Consequently, the laser source of a Kinect was not included in the views of the others, which meant that we did not have to consider the influence of the appearance of these laser sources.<sup>1</sup> To define a distance between neighboring Kinects that was adequate to capture range data of a pedestrian with few missing regions, we observed

<sup>1</sup> We also confirmed through different observations that even though a laser source is emitted into a Kinect, it does not affect the range data while only range values of the corresponding pixels are missing in the captured range data.



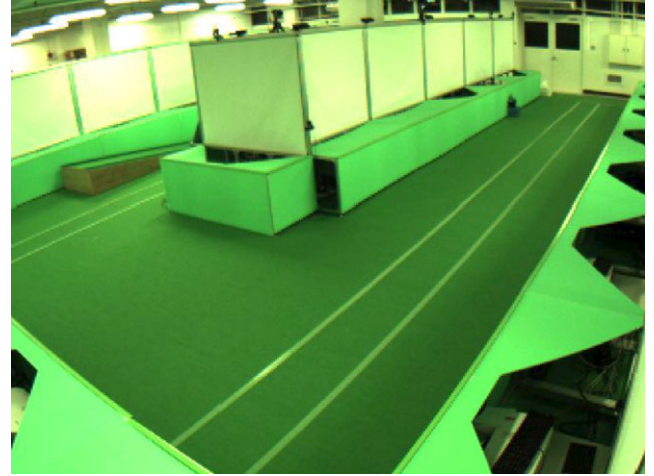
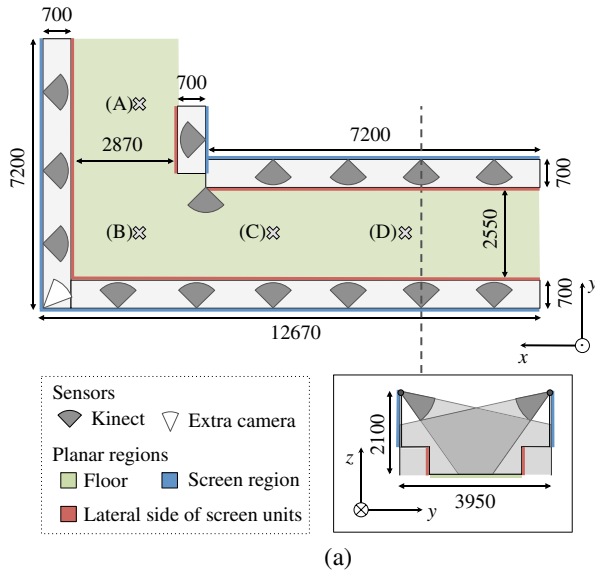


Fig. 2. View of the experimental environment. (a) Layout drawing, (b) Sample image captured from the extra camera, (c) Human bodies, and (d) Cardboard boxes

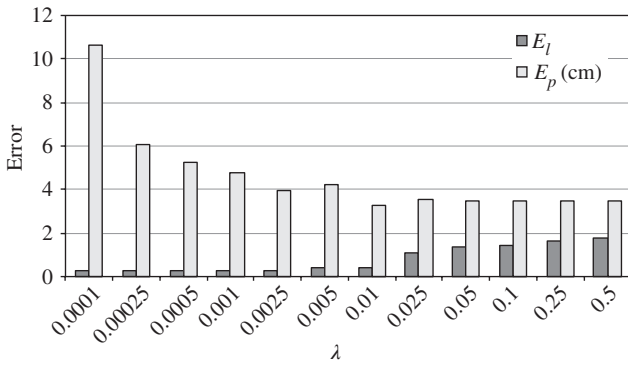
how the interference appeared on range data of the region of a person who walked in this environment while changing the distance from 3.0 to 0.5 m at 0.5 m intervals. As a result, 2.0 m was the shortest distance that satisfied the condition that there were few missing data on his/her region. Therefore, we employed the distance between neighbors as 2.0 m. To connect these Kinects and save captured data, each Kinect was connected to its own computer, whose clock was adjusted by an NTP server.

For the range error calibration described in Section 3.1, we prepared a special setting where a Kinect could be located perpendicular to a wall. In this setting, we captured range data of each Kinect while changing the distance between the Kinect and the wall from 1.0 to 3.0 m at 0.5 m intervals before mounting it in the environment.

For the initial estimation of extrinsic parameters (Section 3.2), one wide-range RGB camera, which was enough to cover the whole environment, was additionally mounted at the left bottom corner of Fig. 2a as an extra camera. An image captured from the extra camera is shown in Fig. 2b. To acquire corresponding points between color images, we first captured images of an LED light in poor illumination and recorded their timestamp. In this capture, we swung the light as widely as possible so that it could be widely distributed in the environment. Then, to reduce the gap

of capture timing, we virtually generated corresponding points at specified time intervals from captured ones. In the generation of a corresponding point at a given time, we linearly interpolated the image coordinate values of captured corresponding points by using their timestamp that was recorded in a common time system due to the NTP server. As stated in Section 3.2, to represent calibrated parameters in metric world coordinates, it is necessary to prepare some corresponding points whose position is known in metric world coordinates. In this experiment, we prepared eight corresponding points located at two different heights of four positions indicated by (A)–(D) in Fig. 2a.

For the optimization of extrinsic parameters (Section 3.3), we use three types of planes, that is, the floor, screen regions, and the lateral side of screen units. They are represented by colors in Fig. 2a. To obtain the range data of the planar regions, we first captured one where no foreground objects appeared, which we call background data. In this capture, we could obtain the full range data with no effect of interference because the data were captured from each individual Kinect with it turned on while the others were turned off. Then, we manually clipped the range data of the planar regions from the background data. The metric position of the planar regions was derived from the layout map with a high precision of  $\pm 0.5$  cm because the environment

Fig. 3. Relation between  $\lambda$  and errors

was built very precisely by using surveying instruments and laser markers.

**4.2. Changing the Weighting Coefficient of Two Errors** In the optimization of extrinsic parameters, as explained in Section 3.3, we first prepare some candidates of extrinsic parameters that are obtained by the optimization with different values of  $\lambda$ . Then, we adopt suitable extrinsic parameters of when both errors are minimal simultaneously from the candidates. In this experiment, we prepared some values of  $\lambda$  from 0.5 to 0.0001. Figure 3 shows  $E_l$  and  $E_p$  of each value of  $\lambda$ . When deciding  $\lambda$  when both errors are minimal simultaneously from the candidates, we used the following method based on the relation that a smaller  $\lambda$  leads to a smaller  $E_l$  and, conversely, a larger  $\lambda$  results in a smaller  $E_p$ . First, we calculated the change rate of each error between neighboring  $\lambda$ . Then, we adapted  $\lambda$  that minimized the sum of the change ratio of both errors, which was 0.01.<sup>2</sup> The suitable extrinsic parameters of  $\lambda = 0.01$  were subsequently used in all the experiments.

**4.3. Experimental Results** Our extrinsic calibration method comprises the initial estimation of extrinsic parameters (Section 3.2) and the optimization of extrinsic parameters (Section 3.3). In these experiments, we focus on the difference between the results before and after optimizing extrinsic parameters to confirm the effectiveness of the whole proposed method including the optimization. Note that we attempted the initial estimation without using the extra camera, and confirmed that it did not work well due to an insufficient number of corresponding points between color images of only the Kinects; the estimated position of Kinects was obviously incorrect. We also attempted the initial estimation without using the corresponding points between one Kinect and another. As a result, it also failed. From these results, it can be concluded that in these experiments, it was essential for the initial estimation to use both larger overlap regions between the extra camera and the Kinects and smaller ones between the Kinects.

To evaluate our method, we performed shape reconstruction of the environment where people and cardboard boxes were located as foreground objects by registering range data of all the Kinects in world coordinates. In qualitative evaluation, we used reconstruction data of the environment where three persons were at positions (B)–(D) of Fig. 2a, as shown in Fig. 2c. In quantitative comparison, we used reconstruction data of cardboard boxes whose

size was carefully measured at the same three positions and the position (A), as shown in Fig. 2d.

Figure 4 shows the reconstruction data of the environment with the persons before and after optimizing extrinsic parameters. As seen from the left image of Fig. 4a, the shape of a target object at the position (B) was far from a human body before optimization. By contrast, after optimization, the shape of the person was well reconstructed. Figure 4b shows their close-up images, whose view is represented as the red frame in Fig. 4a. In the result before optimization, we notice that edges of a side wall, which should be straight, were also incorrectly reconstructed. By contrast, after optimization the edges of the side wall became almost straight. From these results, it can be confirmed that our optimization procedure worked well.

Although the above reconstruction results proved the effectiveness of the optimization, there remain concerns that the bad reconstruction results before optimization were caused by the failure of the initial parameter estimation. To confirm whether the initial estimation procedure had problems, we show the average reprojection error of the corresponding points and the camera viewpoints in Fig. 5a. From this figure, we can see that the camera viewpoints were estimated almost correctly and there were few reproduction errors of all corresponding points. Therefore, it can be concluded that the initial estimation procedure worked well without any problems thanks to a sufficient number of the corresponding points obtained from the Kinects and the extra camera. Totally considering the results of both Fig. 4 and Fig. 5, we can say that it was necessary for Kinect calibration to minimize the error of not only color images but also that of range data even though the error of color images were increased.

Next, we show the result of a quantitative evaluation using the cardboard boxes located at the positions (A)–(D) as shown in Fig. 2d. Before shape reconstruction including these boxes, we first measured their size with a ruler. Next, we marked the corner positions where a box should be located on the ground by using a measure and a leveling string. Then, we carefully located them so that their corners were aligned with their marked positions. The measuring precision was estimated at about  $\pm 1.0$  cm. After the shape reconstruction, we manually extracted the 3D point data of each surface of each box from the reconstructed data. The extract box shape consisted of about 60 000 point data. For quantitative evaluation, we calculated the distance between each extracted surface data and its corresponding planner position as the error.

Figure 6 represents the average error of each box. From the result, it is obvious that the parameter optimization successfully improved the reconstruction accuracy of all boxes including the one at the position (A), which was difficult to achieve with high accuracy because it was placed at the edge of a scene. In position (B), its errors were dramatically decreased. In Fig. 2a, it is found that cameras did not surround this position. After the parameter optimization, we could recover poor estimation derived from these badly located cameras. In position (C), the accuracy was the best of 2.5 cm after the parameter optimization. It is because the extra camera located near there could supply reliable corresponding points and because Kinects surrounded there. It was previously reported that when the distance from a Kinect to the subject is 3 m, the random error and the range resolution are about 1.5 and 2.5 cm on average, respectively [15]. Considering the total error caused by the above two factors, it can be said that the reconstruction error was almost zero.

**4.4. Total time required for calibration** When we used a commercial computer that had Intel® Core™ i7 processors (8 cores, 2.93 GHz) and 16 GB of memory for the calibration, it took nearly 4 h to complete the whole procedures. We spent

<sup>2</sup>  $\lambda$  might be included in parameters that should be optimized. However, when we tried to optimize the value of  $\lambda$  together with the extrinsic parameters, we obtained only unreasonable parameters with quite a small value of  $\lambda$ . This is because  $E_l$  was intensively minimized and  $E_p$  was ignored by the small value of  $\lambda$  to minimize the objective function.

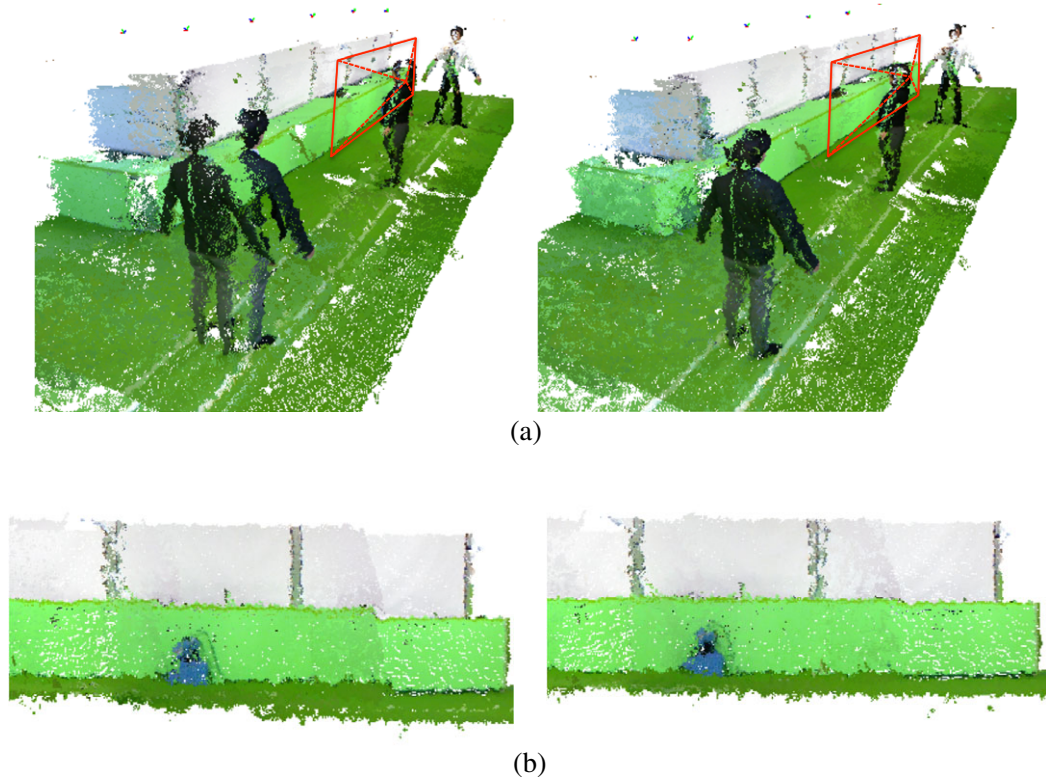


Fig. 4. Reconstructed shapes of the experimental environment (Left and right: Before and after extrinsic parameter optimization). (a) Overview of reconstructed shapes of the experimental environment. The red frame represents the view of Fig. 4b and (b) Close-up view of reconstructed shapes of the experimental environment

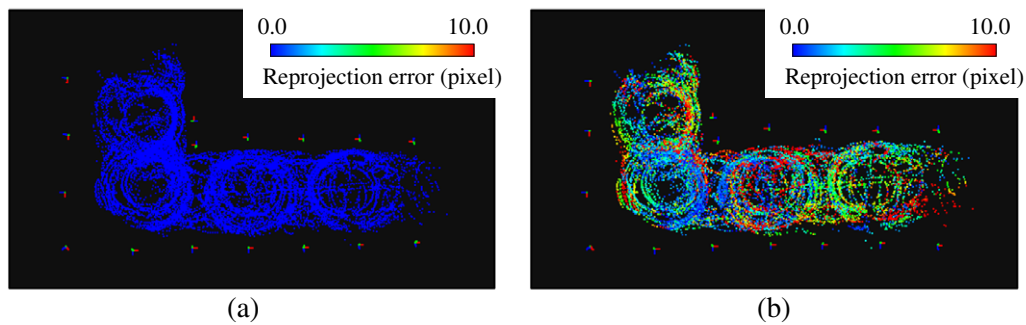


Fig. 5. Average reprojection error of corresponding points and camera viewpoints. (a) Before optimizing extrinsic parameters and (b) After optimizing extrinsic parameters

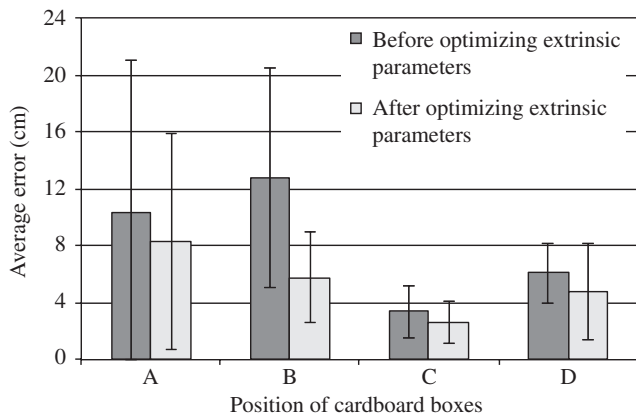


Fig. 6. Average error between the measured position of box surfaces and their 3D points projected from range data. The standard deviation of errors is depicted by the line on the bars

most of the time to extract the range data of the planar regions manually and to complete the optimization of extrinsic parameters while changing the value of  $\lambda$ . If we can extract the range data of planar regions automatically and implement parallel processing to find optimal  $\lambda$ , the time will be shortened.

## 5. Conclusion

In this paper, we proposed an accurate and efficient calibration method for multiple Kinects whose overlapping regions are not large enough. For their extrinsic calibration, we first added extra RGB cameras in an environment to solve the shortage of overlapping regions. Thanks to the overlapping regions among Kinects and extra RGB cameras, we could obtain a sufficient number of corresponding points between color images to estimate their camera parameters. Then, the estimated parameters were optimized to minimize both the errors of corresponding points between color images and the ones of range data of planar regions, which existed in a general environment. This procedure was



suitably designed based on the characteristics of the color images and range data. From the results of the experiments, we confirmed the effectiveness of our method.

As future work, we will try to reduce the time required for calibration by achieving the improvement described in Section 4.4. Moreover, we will try to generate synchronous range data. Because there is no function to capture range data synchronously in Kinects, a temporal capture gap occurs among them. To deal with this issue, we will try to generate range data at a common time of Kinects by a morphing technique for 3D range data [21].

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